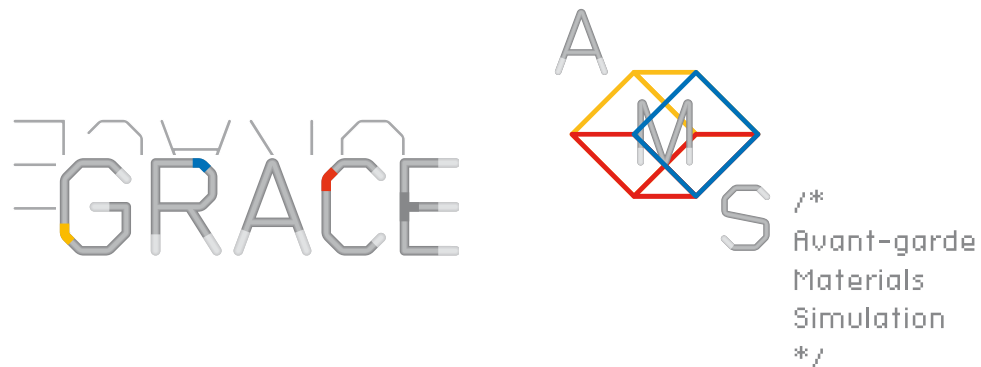


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/*
 We are a self-funded family business
 We are people-focused and care about Ethics and Environment
 */



/*
 We have made
 Crystal Structures Predictable
 */

/*
 We push frontiers to deliver In Silico Material Design
 We bring genuine value to our customers by placing facts over fictions
 */



I am polymorphic



$$G_{\text{exp}}(z, t, \omega) = \int_{-\infty}^{\infty} dt \tau G_{\text{exp}}(z, t, \tau) e^{i\omega\tau}$$

$$\hat{f} = \sum_N \sum_{n=0}^{\infty} |n_N\rangle \langle n_N|$$

$$\hat{H}|n_N\rangle = E_{nN}|n_N\rangle, E_{nN} = E_n^0 + |n_N\rangle \langle n_N|$$

$$\hat{\theta}(\tau) = \hat{G}_{\text{exp}} \int_{-\infty}^{\infty} dt \frac{d\omega}{2\pi} \frac{e^{-i\omega\tau}}{\omega - \Omega_n^0 - i\eta}$$

$$G_{\text{exp}}(z, t, \omega) = \frac{\hat{G}_{\text{exp}}(z, t, \omega)}{\omega - \Omega_n^0 - i\eta} + \langle \hat{G}_{\text{exp}}(z, t, \omega) \rangle_{\text{chem. pot.}}$$

poles of Greens function $\uparrow \text{Im. (life time)}$

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OUR TRACK RECORD

In > 50 CSP studies, we have proven that the stable form is missing in 15-45% of the cases

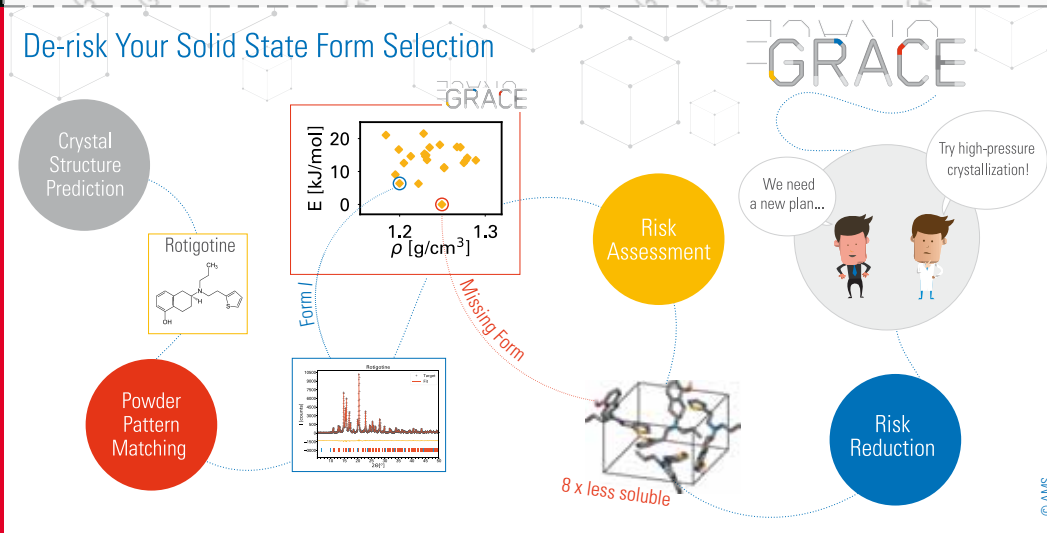
Faraday Discussions
doi.org/10.1039/C8FD00069G

Our calculations are accurate enough to identify missing forms beyond doubt

Nature Comm. Chemistry
doi.org/10.1038/s42004-019-0171-y

We suggest crystallization experiments off the beaten track to crystallize new forms

Nature Comm.
doi.org/10.1038/ncomms8793



CONTACT US IF YOU...

- Fear the appearance of a late-appearing crystal form
- Want to crystallize a novel form with improved properties
- Need to solve the structure of a poorly crystallizing compound
- Cannot crystallize your compound at all
- Have to compare the relative stability of two experimental forms
- Require novel algorithms to accelerate your research

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